# Machine-learning algorithm applied to magnetic localization

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# Magnetic localization application



Magnetic localization is a technique widely used in the biomedical field to track objects in environments where there is no line of sight. The versatility of this technology allows applying it to different problems such as indoor localization [1], needle tracking for surgery [2], and motion tracking in the entertainment industry [3]. Beyond traditional uses, magnetic localization is now enabling advanced applications like body scanning. In such applications, a set of magnetic sensors is placed on the object whose shape needs to be determined. The position of each sensor is calculated by magnetic localization and the point cloud is used to reconstruct the shape.



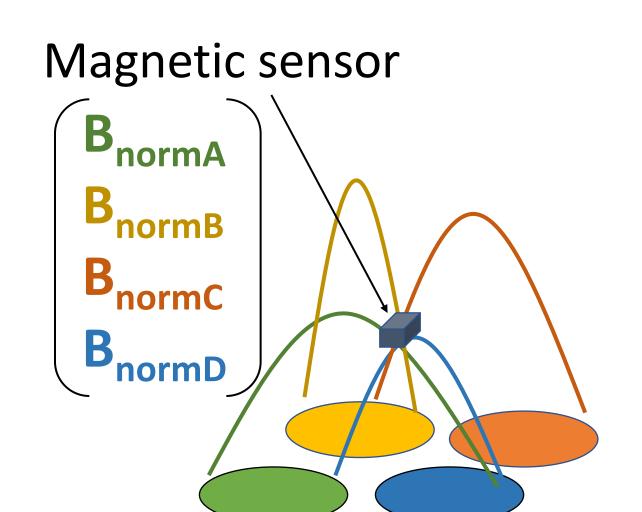
## Experimental setup

#### Magnetic localization principle

Biot-Savart law:

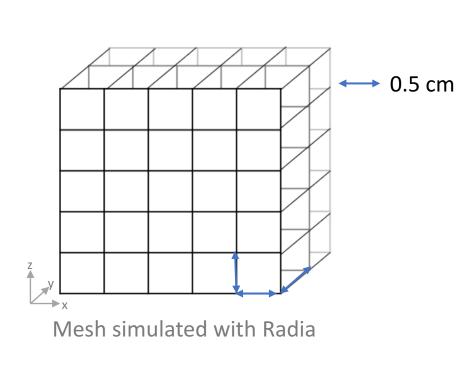
$$B(r) = \frac{\mu_0}{4\pi} \int_C \frac{\mathrm{Id} \boldsymbol{l} \times \boldsymbol{r}'}{|\boldsymbol{r}'|^3}$$

B magnetic field (T)  $\mu_0$  air permittivity (T) current (A) r distance to the surface

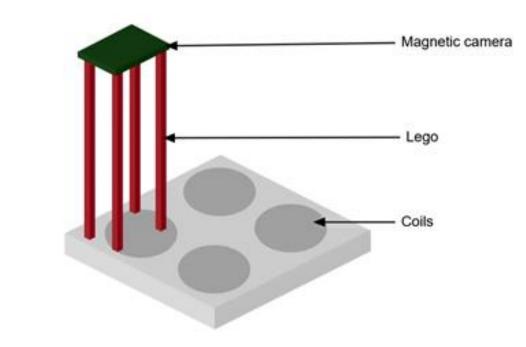


- Four coils are activated sequentially allowing to obtain four magnetic field strength
- The distance to each coil is calculated with the Biot-Savart equation
- These distances allow to locate the magnetic sensor thanks to the trilateration principle

#### Data generation







4 992 experimental points

- Experimental dataset: collected by moving a magnetic field camera composed of 8x8 MMC5603NJ sensors at 78 different camera positions across a 40x40x40 cm<sup>3</sup> volume
- Simulated dataset: generated using the Radia library in Python to avoid time-consuming remapping when coil design changes
- Trained on the high-resolution simulated dataset
- **Tested** on simulated data to assess the performance of the algorithm

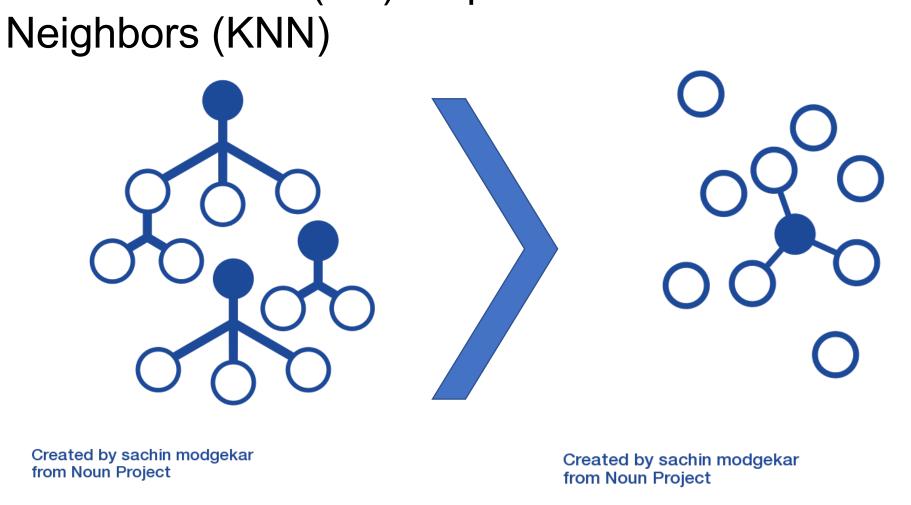
Error rate: percentage of predictions exceeding ±1 mm

Tested on experimental data to assure their relevance in real conditions

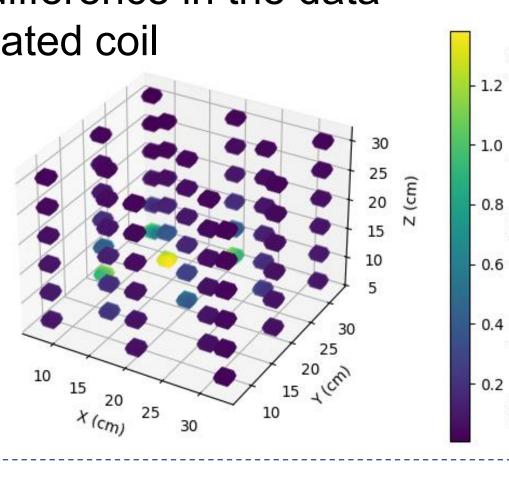
# Results and discussion

	Test dataset	MAE (mm)	Error rate (%)	Prediction time/point (µs)
KNN	Simulated	1.48	41	$2.0 \pm 0.3$
	Experimental	1.56	54	$2.0 \pm 0.1$
RF	Simulated	0.71	23	10 ± 1.7
	Experimental	1.16	48	18 ± 6.0
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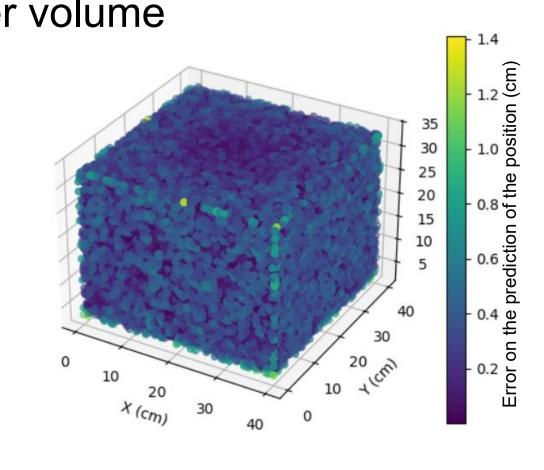
Random Forest (RF) outperforms K-Nearest



The discrepancy between results on simulated and measured data can be explained by a difference in the data around the activated coil



The use of KNN or RF exposes to edge effects. They can be avoided by predicting in a smaller volume



### Outlook

Possible sources of error and how to tackle them:

- Use sparse experimental data to correct the simulation results Learning quality:
- Explore Physics-Informed Neural Networks to ensure physical consistency
- Transformers have shown good results in the literature [4]

### References

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[3] J. Yi, J. Liu, C. Zhang, and X. Lu, "Magnetic Motion Tracking for Natural Human Computer Interaction: A Review," IEEE Sensors J., vol. 22, no. 23, pp. 22356–22367, Dec. 2022, doi: 10.1109/JSEN.2022.3215285.

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